EXAMPLES OF DG ALGEBRA RESOLUTIONS

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ABSTRACT. We will present several examples of DG algebra resolutions from the literature, including the Koszul complex, Taylor resolution, and others that arise from these.

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