

MINI COURSE

**Emergence and paradynamics**

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SCHEDULE:	Lecture 1: Tuesday, May 9, 2017, 11:30–13:00
	Lecture 2: Thursday, May 11, 2017, 11:30–13:00
VENUE:	Lecture Hall 2, IPM Niavaran Bldg., Niavaran Square, Tehran

ABSTRACT. Recently we showed that some degenerate bifurcations can occur robustly. Such a phenomena enables ones to prove that some pathological dynamics are not negligible and even typical in the sense of Arnold-Kolmogorov. In particular, we proved:

**Theorem.** *For every  $\infty > r \geq 1$ , for every  $k \geq 0$ , for every manifold of dimension  $\geq 2$ , there exists an open set  $\hat{U}$  of  $C^r$ - $k$ -parameters families of self-mappings, so that for every topologically generic family  $(f_a)_a \in \hat{U}$ , for every  $\|a\| \leq 1$ , the mapping  $f_a$  displays infinitely many sinks.*

We will introduce the concept of *Emergence* which quantifies how wild is the dynamics from the statistical viewpoint, and we will conjecture the local typicality of super-polynomial ones in the space of differentiable dynamical systems.